# CAN WE BEAT THE DOW? THE MIRAGE OF GROWTH STRATEGIES 

di
Leonardo Becchetti and Giancarlo Marini


#### Abstract

This paper implements the traditional contrarian strategy literature by testing the significance of value and growth portfolios formed on deviations between observed and discounted cash flow fundamental stock values. Our findings on the 30 stocks of the Dow show that growth portfolios significantly outperform buy and hold strategies on the Index. Arbitrage opportunities, however, disappear when the index is corrected for the survivorship bias. Hence, growth strategies may have been profitable only for those agents capable to pick winners with foresight. Leonardo Becchetti University of Rome Tor Vergata, Department of Economics, Via di Tor Vergata snc, 00133 Roma. E-Mail : becchetti@economia.uniroma2.it Giancarlo Marini University of Rome Tor Vergata, Department of Economics, Via di Tor Vergata snc, 00133 Roma. E-Mail: marini@uniroma2.it


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## Introduction

The traditional CAPM model of Sharpe (1964), Linter (1965) and Black (1972), where $\beta$ is the only significant explanatory variable of cross-sectional variations in stock returns, appears to be rejected by empirical evidence, due to the existence of premia related to size and book to market factors (see, for example, Lakonishok, Schleifer and Vishny, 1994). These cross-sectional anomalies could however be reconciled with the Efficient Market Hypothesis (EMH). Size and book to market premia may disappear by employing the multifactor CAPM (Fama-French, 1992, 1993 and 1996), assuming lead-lag relationships between large and small firm stocks (Lo-MacKinlay, 1990), or allowing for time-varying betas (Ball-Kothari, 1989). The validity of these attempts is questioned on the grounds that return premia on small size and low market to book stocks are too high to be compatible with the EMH. Investment strategies of noise (De Long et al., 1990) , near rational behaviour (Wang, 1993), liquidity or "weakhearted" traders overreacting to shocks (Lakonishok, Schleifer and Vishny, 1994) must play a significant role in explaining stock price dynamics.

The main contribution of our paper is to propose a new test of the EMH. We devise investment strategies consisting of value and growth stocks ordered on deviations between fundamentals and observed values for the Dow Jones. When fundamentals are calculated according to a two-stage Discounted Cash Flow (DCF) approach, the EMH is rejected, since (short
term) growth strategies are shown to systematically beat the Dow30 aggregate index. ${ }^{1}$ However, when the DCF is corrected for the selection bias taking into account changes in the Dow components, the EMH appears to be strongly re-established.

The paper is organized as follows. In section 2 we justify our choice of the DCF and the selection of its crucial parameters. In section 3 we build an aggregate fundamental to observed price ratio for the Dow30 aggregate index (not corrected for the selection bias and therefore including the current Dow components) and analyse its relationship with (non corrected) Dow returns and other explanatory variables. The profitability of value and growth portfolio strategies formed on deviations between observed and fundamental stock values is assessed in section 4 In section 5 we correct for the selection bias and reestimate the fundamental to observed price ratio on the historical Dow30 components. We then evaluate the performance of the new value and growth portfolio strategies and compare it with our previous results. Section 6 concludes the paper.

## 2. The DCF approach and portfolio selection.

Our DCF approach is based on I/B/E/S forecasts and has the advantage of using current net earnings as the only accounting variable. Accounting and economic literature usually adopt at least three different approaches to calculate the fundamental value of a stock: i) the comparison of balance sheet multiples (EBITDA, EBIT) for firms in the same sector; ii) the residual income method; iii) the discounted cash flow method.

[^0]The benchmark used for comparison in the first approach may be overvalued or undervalued due to nonhomogeneous information or different trading strategies. The second problem with this method is that industry or sector classifications have become increasingly difficult since firms diversify their activities and develop new products or services (Kaplan-Roeback, 1995). The problem with the second approach (residual income method) (Lee-Myers- Swaminathan, 1999; FrankerLee, 1998), is that the formula for evaluating the fundamental value of a stock uses a balance sheet measure. Lee-Myers- Swaminathan (1999) document the sharp uptrend in the price to book ratio which has risen three times between 1981 and 1996 for the Dow Jones Industrial Average. An interpretation for this result is that accounting methodologies lag behind in adjusting to changes in investors' market value assessments of firms whose share of intangible assets made by human and, more generally, immaterial capital is rising over time. This is the reason why, following Kaplan-Roeback (1995), we prefer to use the DCF approach.

According to the DCF model - and under the assumption that the discounted cash flow to the firm is equal to net earnings ${ }^{2}$ , the "fundamental price-earning" ratio of the stock may in fact be written as: $E V / X=\sum_{t=0}^{\infty} \frac{\left(1+E\left[g_{t}\right)^{t}\right.}{\left(1+r_{\text {CAPM }}\right)^{t}}$
where $M V$ is the firm equity value, $X$ is the current cash flow to the firm, ${ }^{3} E\left[g_{t}\right]$ is the yearly expected rate of growth of earnings

[^1]according to $\mathrm{I} / \mathrm{B} / \mathrm{E} / \mathrm{S}$ consensus forecasts, ${ }^{4} \mathrm{r}_{\mathrm{CAPM}}=R_{f}+\beta E\left[R_{m}\right]$ is the discount rate adopted by equity investors, $R_{f}$ represents the risk free rate,
$E\left[R_{m}\right]$ the expected stock market premium, $\beta$ is exposition to systematic nondiversifiable risk.
To calculate the fundamental value we consider the following "two stage growth" approximation of (1):
\[

$$
\begin{equation*}
M V E=X+\sum_{t=1}^{5} \frac{X\left(1+E\left[g_{U}\right]\right)^{t}}{\left(1+r_{C A P M}\right)^{t}}+\frac{X\left(1+E\left[g_{U}\right]\right)^{6}}{\left(r_{C A P M(T V)}-g n\right)\left(1+r_{C A P M}\right)^{6}} \tag{2}
\end{equation*}
$$

\]

where $M V E$ is the "two stage growth" equity market value, $E\left[g_{U}\right]$ is the expected yearly rate of growth of earnings according to the Consensus of stock analysts. According to this formula the stock is assumed to exhibit excess growth in a first stage and to behave like the rest of the economy in a second stage. The second stage contribution to $M V E$ is calculated as a terminal value in the second addend of (2) where $\mathrm{r}_{\mathrm{CAPM}(\mathrm{TV})}=R_{f}+E\left[R_{m}\right]$ and $g n$ is the perpetual nominal rate of growth of the economy.
The analytical definition of the DCF model imposes crucial choices on five key parameters: the risk free rate, the risk premium, the beta, the length of the first stage growth and the rate of growth of the terminal period.
For the risk free rate we use the yield on the three month US Treasury Bill. ${ }^{5}$ For the risk premium we consider that our measure should be between the historical difference in the rates of return of stocks and T-bonds (between 6 and 7 percent) and the

[^2]current implied premium ${ }^{6}$ for US equity markets in the sample period which is around 2 percent. The third critical factor in the "two-stage" DCF formula is the terminal value of the stock. We fix at the sixth year the shift from the high growth period to the stable growth period. Sensitivity analysis on this threshold shows however that our choice is not crucial for the determination of the value of the stock. ${ }^{7}$ The positive impact on value of an additional year of high growth is to be traded off with a heavier discount of the terminal value. In the terminal value it is assumed that the stock cannot grow more and cannot be riskier than the rest of the economy. The nominal average rate of growth of the economy $g n$ is calculated in a range between 2 and 5 percent which is consistent with values adopted in the literature and $\mathrm{c}_{\mathrm{CAPM}(\mathrm{TV})}=$ $R f+E\left[R_{m}\right]$.
Finally, in the choice of beta for our discounting formula we generally have various alternatives in the literature. ${ }^{8}$ We alternatively try the estimation of a time varying beta in a five year window of monthly observations and the choice of a unit beta. We are particularly comfortable with the last choice which represents a plausible simplification when working with the 30 stocks of the Dow (Lee-Myers-Swaminathan, 1999). ${ }^{9}$
Before going to portfolio strategies we investigate the properties of the Dow aggregate fundamental to observed price ratio (also defined in the paper as the value price ratio) built as an unweighted average of the value price ratios of each of the

[^3]current Dow30 components. Our sample period goes from January 1982 where reliable data on earnings' forecasts begin to be available to December 2000.
Tab. 1 describes discounting choices producing a value price ratio nearest to one and therefore an estimated fundamental closest on average to the observed value of the Dow. ${ }^{10}$ The formula which combines 8 percent risk premium, 3 percent perpetual growth and a unit beta gives mean monthly fundamental to observed price ratios exactly equal to one. ${ }^{11}$

## 3. The determinants of the aggregate value price ratio and its relationship with the Dow30

We now test whether our I/B/E/S based DCF formula is bia sed by the omitted consideration of relevant factors. Among selected regressors we include: i) the standard deviation of analysts consensus on lyear ahead earning forecasts ( $F 1 S D)^{12}$; ii) the number of analysts following the stock and releasing forecasts on 1-year ahead earnings (FlNE); ${ }^{13}$ iii) one and two period ahead changes in 1 -year ahead earning forecasts (respectively REVIF1

[^4]and REV1F2). ${ }^{14}$ These variables should show whether the fundamental to observed price ratio anticipates revisions of forecasts not already incorporated into $\mathrm{I} / \mathrm{B} / \mathrm{E} / \mathrm{S}$ numbers; iv) the 1 year ahead to long term earning growth forecasts ratio (STLGRT); v) lagged values of levels and differences in the value-price ratio. Results from GMM estimates show the presence of both mean reversion and persistence effects. Changes in the price-value ratio are in fact positively affected by the two period lagged and negatively affected by the one period price value ratio, while the one period lagged dependent variable is also negative and significant (Table 2). The positive and significant impact of the F1NE variable supports the hypothesis that a higher number of forecasts is expected to increase the expected accuracy of the mean forecast (Firth-Gift, 1999).
We also regress Dow returns on our value to price ratio and on a set of control variables. We find again evidence of mean reversion and persistence as one (two) period lags of the price value ratio are negatively (positively) correlated with the dependent variable (Table 3).

## 4. The performance of fundamental growth and value portfolio strategies

Our findings on the current Dow30 value price ratio appear to support the hypothesis that the two conflicting phenomena of persistence and mean reversion occur. To assess their relative relevance we simulate returns from three portfolio strategies: investing on growth stocks (the ten Dow30 stocks with the highest value price ratio), average stocks and value stocks (the ten Dow30 stocks with the lowest value price ratio). Our results surprisingly show that growth strategies dominate not only value, but also buy and hold strategies on the Dow. When the DCF

[^5]fundamental is evaluated using 8 percent risk premium, unit beta and 3 percent nominal rate of growth in the terminal period, the mean monthly return of the portfolio strategy based on buying every month growth stocks (the ten Dow30 stocks whose observed to fundamental price ratio is higher) and selling them after one month is around 2.6 percent against 1.6 percent of the buy and hold strategy on the current Dow 30 and 0.8 percent of the strategy based on buying value stocks (stocks whose observed to fundamental price ratio is lower) (Table 4). A growth strategy buying growth stocks ranked according to their value price ratio at time t and selling the portfolio at time $\mathrm{t}+2$ (two month growth portfolio strategy) also yields MMRs higher than the buy and hold portfolio ( 2.69 percent). Selecting growth stocks at month t , buying them at month $\mathrm{t}+1$ and selling at $\mathrm{t}+2$ (we call it lagged 1month strategy) is also profitable: MMRs are quite high (2.9 percent)
We have performed robustness checks discounting future expected cash flows with a 6 percent risk premium and with betas estimated over the past five year monthly returns. Results are basically confirmed ( 2.58 and 2.69 percent MMRs from 1-month and lagged 1-month growth strategies compared to 0.85 and 0.67 percent from 1-month and lagged 1 -month value strategies).
Parametric and non parametric tests on the significance of the difference between MMRs from different strategies show that one month, lagged 1month and two month growth strategies are significantly more profitable in mean than value and buy and hold strategies on the Dow (Table 5a). This result proves to be robust to changes in the DCF parameters as well (Table 5b).
There is no significant decline over time of the relative profitability of growth portfolios even when we split the sample into two equal subperiods. ${ }^{15}$ (Table 4).
The persistence of premia from growth portfolios is confirmed also under standard CAPM estimates and two factor CAPM

[^6]estimates showing that risk adjusted intercepts of growth portfolios are still positive and significant (Table 6). Hence, these portfolios yield excess returns persisting even after risk adjustment

## 5. The correction for the selection bias

The analysis carried out so far would seem to indicate a clear violation of the EMH. We now investigate whether our evaluation of the fundamental has correctly considered possible selection effects.
The history of the Dow30 reveals that many of its current components were not present at the beginning of our estimation period. One third of the components in 1982 (the beginning of I/B/E/S data and of our sample) has been replaced by new entries. These substitutions reflect a significant change in the industry composition of the Dow30 with an increased weight of the hightech with respect to traditional industries (Hewlett-Packard replaces Texaco in 1996, while Intel and Microsoft replace respectively Goodyear and Dow Chemical, in 1998). Other newcomers, affiliated to more traditional industries (JP Morgan, Citigroup, Wal Mart, Caterpillar and Home Depot) are sector winners.

| 1982 Dow Components | Current Dow30 components |
| :--- | :--- |
| Alcoa | Alcoa |
| AT\&T | AT\&T |
| American Express | American Express |
| Boeing | Boeing |
| Navistar | Caterpillar (from 1990) |
| CBS | Citigroup (from 1998) |
| Coca-Cola | Coca-Cola |
| Disney | Disney |
| Du Pont | Du Pont |
| Exxon | Exxon |
| General Electric | General Electric |
| General Motors | General Motors |
| Texaco | Hewlett-Packard (from 1996) |
| Sears Roebruck | Home Depot (from 1998) |
| Honeywell | Honeywell |
| Good Year | Intel (from 1998) |
|  |  |


| IBM | IBM |
| :--- | :--- |
| International Paper | International Paper |
| Primerica | JP Morgan (from 1990) |
| Betkehel Steel | Johnson \& Johnson (from 1996) |
| Mc Donald | Mc Donald |
| Merck | Merck |
| Dow Chemical | Microsoft (from 1998) |
| Minnesota | Minnesota |
| MNG | MNG |
| Philip Morris | Philip Morris |
| Procter \& Gamble | Procter \& Gamble |
| SBC Communication | SBC Communication |
| Chevron | United Technology (from 1998) |
| Venator | Wal Mart (from 1996) |

Our previous results on the performance of growth and value portfolios appear to be strongly influenced by the selection bias. Some of the stocks entering the index at a later date (Microsoft, Wal Mart and Johnson and Johnson) clearly belong to growth portfolios (see Table A1 in the Appendix). If these stocks realised significant capital gains before entering the Dow then their contribution to the success of the growth portfolios must have been substantial.
We therefore constructed our aggregate Dow30 value price ratio on the basis of the historical Dow30 components and repeated our simulation with value and growth portfolios. Our findings show that growth portfolios still yield MMRs which are higher than MMRs from corresponding value and buy and hold strategies (Table 7). MMRs, though, are lower than before. Adjusted DCF 1-month growth strategies yield 2.2 percent against 2.6 percent of the corresponding simple DCF strategies (Table 4). In addition, they do not outperform buy and hold strategies in the overall period, in the two equal subperiods and with risk adjusted CAPM estimates (Tables 8-9).
More importantly, the EMH is re-eastablished when we reestimate the models presented in Tables 2 and 3 with the Dow30 index corrected for the survivorship bias. Any form of persistence now disappears and the change in the price value ratio does not present empirically observed regularities (Tables 10-11).

## Conclusions

The no arbitrage condition is violated in the short run when net present value is proxied by the discounted cash flow fundamental. One month and two month growth strategies (selection every month of the ten stocks with the highest price value ratio in the previous period) yield significantly higher mean monthly returns than both value and buy and hold strategies on the Dow index. These results are confirmed under parametric and non parametric diagnostics and persist when returns are adjusted for risk. The violation of the EMH is however only apparent. When we adjust the DCF fundamental for the selection bias, to capture the effect of changes in Dow components, growth portfolios no longer outperform value and buy and hold portfolios and the aggregate residual from the estimation of the fundamental has no predictive power on future returns.
Arbitrage opportunities from growth strategies may thus have existed only for those traders capable to anticipate losers which were going to exit and winners which were going to enter the Dow. Our results suggest that "growth strategies" can beat passive strategies only if portfolio managers have the ability of picking winners with sufficient foresight.

Table 1. Average monthly value of the aggregate current Dow 30 value-price ratio (January 1982 - December 2000)

|  |  | RISK PREMIUM |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | NOMINAL RATE OF GROWTH IN THE Terminal value | 6 percent | 7 percent | 8 percent |
| Variable | 2 percent | 1.522 | 1.398 | 1.295 |
| beta | 3 percent | 1.723 | 1.561 | 1.429 |
|  | 4 percent | 2.065 | 1.820 | 1.635 |
|  | 5 percent | 2.785 | 2.202 | 1.979 |
| Unit beta | 2 percent | 1.170 | 1.057 | 0.963 |
|  | 3 percent | 1.257 | 1.122 | 1.015 |
|  | 4 percent | 1.367 | 1.273 | 1.077 |
|  | 5 percent | 1.516 | 1.309 | 1.155 |

Table 2. The determinants of the aggregate DCF observed to fundamental price earning ratio (current Dow30 constituents)

| BETA ESTIMATED ON PREVIOUS 3 YEAR MMR |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| DEPENDENT VARIABLE: AGGREGATE 1-MONTH CHANGE IN THE DCF OBSERVED TO FUNDAMENTAL PRICEEARNING RATIO (CURRENT DOW30 CONSTITUENTS) |  |  |  |  |  |  |  |  |  |
| RISK PREMIUM | 6 percent |  |  | 7 percent |  |  | 8 percent |  |  |
| NOMINAL RATE OF GROWTH IN the TERMINAL VALUE | 2 percent | 3 percent | 4 percent | 2 percent | 3 percent | 4 percent | 2 percent | 3 percent | 4 percent |
| C | -0.072 | ${ }^{-0.095}$ | -0.122 | -0.071 | ${ }^{-0.091}$ | -0.105 | -0.069 | -0.086 | 0.608 |
| GAP(-1) | [-0.50] | [-0.62] | [-0.65] | [-0.50] | [2.25] | [-0.59] | [-0.48] | [-0.58] | [2.25] |
|  | -0.157 | -0.129 | -0.075 | -0.176 | -0.151 | -0.111 | -0.195 | -0.173 | 0.533 |
|  | [-3.78] | [-3.65] | [-2.86] | [-3.88] | [-3.83] | [-3.55] | [-3.96] | [-3.97] | [5.86] |
| GAP(-2) | 0.112 | 0.096 | 0.053 | 0.128 | 0.114 | 0.085 | 0.144 | 0.133 | -0.474 |
|  | [2.80] | [2.80] | [2.05] | [2.93] | [2.99] | [2.79] | [3.05] | [3.16] | [-5.03] |
| DGAP(-1) | -0.430 | -0.405 | -0.317 | -0.437 | -0.418 | -0.361 | -0.443 | -0.428 | 0.527 |
|  | [-5.71] | [-5.39] | [-4.27] | [-5.80] | [-5.55] | [-4.85] | [-5.87] | [-5.68] | [3.13] |
| REV1F1(-1) | -0.001 | -0.001 | -0.002 | -0.001 | -0.001 | -0.002 | -0.001 | -0.001 | -0.006 |
|  | [-0.64] | [-0.74] | [-1.22] | [-0.58] | [-0.64] | [-0.95] | [-0.53] | [-0.57] | [-3.59] |
| Fine | 0.003 | ${ }^{0.003}$ | 0.003 | ${ }^{0.003}$ | ${ }^{0.003}$ | ${ }^{0.003}$ | ${ }^{0.003}$ | 0.003 | ${ }^{-0.003}$ |
|  | [2.08] | [2.06] | [2.25] | [2.04] | [2.01] | [2.09] | [2.00] | [1.96] | [-2.50] |
| BETA=1 |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |
| DEPENDENT VARIABLE: AGGREGATE 1-MONTH CHANGE IN THE DCF OBSERVED TO FUNDAMENTAL PRICEEARNING R ATIO (CURRENT DOW30 CONSTITUENTS) |  |  |  |  |  |  |  |  |  |
| RISK PREMIUM | 6 percent |  |  | 7 percent |  |  | 8 percent |  |  |
| NOMINAL RATE OF GROWTH IN THE Terminal value | 2 percent | 3 percent | 4 percent | 2 percent | 3 percent | 4 percent | 2 percent | 3 percent | 4 percent |
| C | 0.029 | 0.021 | 0.011 | 0.037 | 0.031 | 0.018 | 0.044 | 0.039 | 0.032 |
|  | [0.20] | [0.14] | [0.07] | [0.25] | [0.20] | [0.12] | [0.30] | [0.26] | [0.21] |
| GAP(-1) | -0.214 | -0.197 | -0.175 | -0.239 | -0.224 | -0.191 | -0.262 | -0.249 | -0.233 |
|  | [-3.71] | [-3.68] | [-3.62 | [-3.71] | [-3.71] | [-3.66] | [-3.70] | [-3.71] | [-3.71] |
| GAP(-2) | 0.105 | 0.094 | 0.084 | 0.121 | 0.110 | 0.092 | 0.137 | 0.127 | 0.115 |
|  | [1.92] | [1.87] | [1.83] | [1.99] | [1.93] | [1.86] | [2.05] | [2.00] | [1.94] |
| $\triangle \mathrm{GAP}(-1)$ | -0.443 | -0.439 | -0.431 | -0.446 | -0.444 | -0.436 | -0.447 | -0.446 | -0.444 |
|  | [-6.07] | [-6.01] | [-5.90] | [-6.10] | [-6.07] | [-5.96] | [-6.13] | [-6.11] | [-6.08] |
| REV1F1(-1) | -0.002 | -0.002 | -0.002 | -0.002 | $-0.002$ | -0.002 | -0.002 | ${ }_{-0.002}$ | ${ }^{-0.002}$ |
|  | [-0.91] | [-0.92] | [-0.95] | [-0.90] | [-0.91] | [-0.93] | ${ }^{[-0.90]}$ | [-0.90] | ${ }^{[-0.91]}$ |
| FiNE | $\left[\begin{array}{l} 0.005 \\ {[2.73]} \end{array}\right.$ | $\begin{aligned} & 0.005 \\ & {[2.73]} \end{aligned}$ | $\begin{aligned} & 0.005 \\ & {[2.70]} \end{aligned}$ | $\begin{aligned} & 0.005 \\ & {[2.71]} \end{aligned}$ | $\begin{aligned} & 0.005 \\ & {[2.72]} \end{aligned}$ | $\begin{aligned} & 0.005 \\ & {[2.71]} \end{aligned}$ | $\left[\begin{array}{l} 0.005 \\ {[2.68]} \end{array}\right.$ | $\begin{aligned} & 0.005 \\ & {[2.71]} \end{aligned}$ | $\begin{aligned} & 0.005 \\ & {[2.72]} \end{aligned}$ |
| R-squared | 0.201 | 0.198 | 0.194 | 0.202 | 0.201 | 0.197 | 0.203 | 0.203 | 0.202 |

the GAP variable; $\left.\operatorname{REV} 1 \mathrm{Fl}=\mathrm{E}_{\mathrm{t}+1}[\mathrm{~F} 1]-\mathrm{E}_{[\mid \mathrm{F}} \mathrm{F}\right]$ where F 1 is the 1 -year ahead mean estimate of earning growth; F 1 NE : number of estimates for the 1 -year ahead mean earning growth; F1SD: standard deviation of estimates for the 1 -year ahead mean earning growth.

Table 3 The effect of the aggregate DCF observed to fundamental price earning ratio (current Dow30 constituents) on Dow 30 returns BETA ESTIMATED ON PREVIOUS 3 YEAR MMR

| TUR |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| RISK PREMIUM | 6 percent |  |  | 7 percent |  |  | 8 percent |  |  |
| NOMINAL RATE OF GROWTH IN THE TERMINALVALUE | 2 percent | 3 percent | 4 percent | 2 percent | 3 percent | 4 percent | 2 percent | 3 percent | 4 percent |
| C | $\begin{aligned} & 0.017 \\ & {[0.42]} \end{aligned}$ | $\begin{aligned} & \hline 0.017 \\ & {[0.42]} \end{aligned}$ | $\begin{aligned} & 0.018 \\ & {[0.43]} \end{aligned}$ | $\begin{aligned} & 0.017 \\ & {[0.41]} \end{aligned}$ | $\begin{aligned} & 0.017 \\ & {[0.41]} \end{aligned}$ | 0.018 | $\begin{array}{\|c\|c\|} \hline 0.017 \\ 10401 \end{array}$ | 0.017 | 0.021 |
|  |  |  |  |  |  | [0.42] |  | [0.41] | 0.050 |
| GAP(-1) | $\begin{aligned} & -0.030 \\ & {[-2.53]} \end{aligned}$ | $\begin{gathered} -0.024 \\ {[-2.41]} \end{gathered}$ | -0.012 | -0.033 | -0.027 | -0.017 | -0.036 | -0.030 |  |
| GAP(-2) | $\left[\begin{array}{l} 0.035 \\ {[3.14]} \end{array}\right]$ | $\begin{aligned} & 0.026 \\ & {[2.84]} \end{aligned}$ | $\begin{aligned} & 0.012 \\ & {[1.88]} \end{aligned}$ | $\left[\begin{array}{l} 0.040 \\ {[3.26]} \end{array}\right.$ | ${ }^{0.031}$ | 0.019 | 0.044 |  |  |
|  |  |  |  |  |  |  |  | [3.14] | [-1.96] |
| $\triangle \mathrm{GAP}(-1)$ | $\left[\begin{array}{l} -0.033 \\ {[-1.77]} \end{array}\right.$ | $\begin{aligned} & -0.030 \\ & {[-1.65]} \end{aligned}$ | $\begin{aligned} & -0.019 \\ & {[-1.16]} \end{aligned}$ | $\left[\begin{array}{c} -0.032 \\ {[-1.76]} \end{array}\right.$ | $\begin{aligned} & -0.030 \\ & {[-1.65]} \end{aligned}$ | $\begin{aligned} & -0.021 \\ & {[-1.26]} \end{aligned}$ | $\left[\begin{array}{l} -0.032 \\ {[-1.75]} \end{array}\right.$ | $\begin{aligned} & -0.030 \\ & {[-1.64]} \end{aligned}$ | $\begin{aligned} & 0.130 \\ & {[3.03]} \end{aligned}$ |
|  |  |  |  |  |  |  |  |  |  |
| FiNE | $\left[\begin{array}{l} 0.0004 \\ {[0.59]} \end{array}\right.$ | $\begin{aligned} & 0.0005 \\ & {[0.81]} \end{aligned}$ | $\begin{aligned} & 0.0006 \\ & {[1.15]} \end{aligned}$ | $\left[\begin{array}{l} 0.0003 \\ {[0.50]} \end{array}\right.$ | $\begin{aligned} & 0.0004 \\ & {[0.67]} \end{aligned}$ | $\begin{aligned} & 0.0005 \\ & {[0.93]} \end{aligned}$ | $\left[\begin{array}{l} 0.0003 \\ {[0.44]} \end{array}\right.$ | $\begin{aligned} & 0.0003 \\ & {[0.56]} \end{aligned}$ | $\begin{aligned} & 0.0004 \\ & {[0.81]} \end{aligned}$ |
|  |  |  |  |  |  |  |  |  |  |
| FISD | $\left[\begin{array}{c} -0.126 \\ {[-0.86]} \end{array}\right.$ | -0.125$[-0.84]$ | $\begin{aligned} & -0.129 \\ & {[-0.85]} \end{aligned}$ | $\left[\begin{array}{l} -0.0128 \\ {[-0.88]} \\ {[-0.01} \end{array}\right.$ | $\begin{aligned} & -0.124 \\ & {[-0.85]} \end{aligned}$ | $\begin{aligned} & -0.123 \\ & \end{aligned}$ | $\left[\begin{array}{l} -0.130 \\ {[-0.90} \end{array}\right]$ | $\begin{aligned} & -0.125 \\ & {[-0.85]} \end{aligned}$ | $\begin{aligned} & -0.127 \\ & {[-0.87]} \end{aligned}$ |
|  |  |  |  |  |  |  |  |  |  |
| STLGRT | 0.039$[1.66]$ | 0.037 | 0.029 | 0.039 | 0.037 | 0.031 | 0.040 | 0.038 | 0.019 |
|  |  | $\begin{aligned} & {[1.56]} \\ & 0.045 \end{aligned}$ | $\begin{aligned} & {[1.232} \\ & 0.024 \end{aligned}$ | $\begin{aligned} & {[1.68]} \\ & 0.056 \end{aligned}$ | $\begin{aligned} & {[1.59]} \\ & 0.049 \end{aligned}$ | [1.34] | [1.71] | [1.61] | [0.87] |
| R-squared | $\left[\begin{array}{l} {[1.66]} \\ 0.053 \end{array}\right.$ |  |  |  |  | 0.033 | 0.059 | 0.052 | 0.073 |
| BETA ESTIMATED ON PREVIOUS 3 YEAR MMR |  |  |  |  |  |  |  |  |  |
| DEPENDENT VARIABLE: 1 -MONTH DOW30RETURN |  |  |  |  |  |  |  |  |  |
| RISK PREMIUM | 6 percent |  |  | 7 percent |  |  | 8 percent |  |  |
| NOMINAL RATE OF GROWTH IN THE TERMINAL VALUE | 2 percent | 3 percent | 4 percent | 2 percent | 3 percent | 4 percent | 2 percent | 3 percent | 4 percent |
| C | 0.017$[0.42]$-0.046$[-2.81]$ | 0.017 | 0.018 | $\begin{aligned} & 0.017 \\ & 0.042] \\ & -0.053 \\ & {[-2.91]} \end{aligned}$ | $\begin{aligned} & \hline 0.017 \\ & {[0.42]} \\ & -0.049 \\ & {[-2.83]} \end{aligned}$ | $\begin{aligned} & \hline 0.017 \\ & {[0.43]} \\ & -0.041 \\ & {[-2.72]} \end{aligned}$ | $\begin{aligned} & 0.016 \\ & {[0.42]} \\ & -0.061 \\ & {[-3.00]} \end{aligned}$ | $\begin{aligned} & 0.017 \\ & {[0.42]} \\ & -0.056 \end{aligned}$ | $\begin{aligned} & 0.017 \\ & {[0.42]} \end{aligned}$ |
|  |  | [0.43] | [0.43] |  |  |  |  |  |  |
| GAP(-1) |  | $\begin{gathered} -0.042 \\ {[-2.74]} \end{gathered}$ | $\begin{gathered} -0.037 \\ {[-2.67]} \end{gathered}$ |  |  |  |  |  | $\begin{aligned} & -0.051 \\ & {[-2.85]} \end{aligned}$ |
|  |  |  |  |  |  |  |  | [-2.93] |  |
| GAP(-2) | $\left[\begin{array}{c} {[-2.81]} \\ 0 \end{array}\right.$ | $\begin{aligned} & 0.047 \\ & {[3.30]} \\ & -0.039 \end{aligned}$ | $\begin{aligned} & 0.040 \\ & {[3.14]} \end{aligned}$ | $\begin{aligned} & {[-2.91]} \\ & 0.062 \end{aligned}$ | [-2.83] | 0.045[3.24]-0.039 | [ ${ }^{[-3.00]}$ | 0.065$[3.57]$-0.040 | $\begin{aligned} & 0.059 \\ & {[3.47]} \end{aligned}$ |
|  | $\left[\begin{array}{l} 0.053 \\ {[3.43]} \end{array}\right.$ |  |  | $\left\lvert\, \begin{aligned} & 0.062 \\ & {[3.55]} \\ & -0.040 \end{aligned}\right.$ | $\begin{aligned} & 0.056 \\ & {[3.45]} \\ & -0.040 \end{aligned}$ |  | [3.65] |  |  |
| $\triangle \mathrm{GAP}(-1)$ | $\left[\begin{array}{l} -0.040 \\ {[-2.10]} \end{array}\right.$ |  | $\begin{aligned} & -0.039 \\ & {[-2.07]} \end{aligned}$ |  |  |  |  |  | $\begin{aligned} & -0.040 \\ & {[-2.11]} \end{aligned}$ |
|  |  | $\begin{aligned} & -0.039 \\ & {[-2.09]} \end{aligned}$ |  | $\left[\begin{array}{l} -0.040 \\ {[-2.13]} \end{array}\right.$ | [-2.11] | [-2.09] | [-2.15]0.0003 | [-2.13] |  |
| FiNE | $\left.\right\|_{[0.0003} ^{0.002]}$ | $\begin{aligned} & 0.0004 \\ & {[0.57]} \end{aligned}$ | $\begin{aligned} & 0.0004 \\ & {[0.66]} \end{aligned}$ | $\left[\begin{array}{l} 0.0003 \\ {[0.51]} \end{array}\right.$ | $\begin{aligned} & 0.0003 \\ & {[0.52]} \end{aligned}$ | $\begin{aligned} & 0.0004 \\ & {[0.61]} \\ & \hline \end{aligned}$ |  | $\begin{aligned} & 0.0003 \\ & {[0.51]} \end{aligned}$ | $\begin{aligned} & 0.0003 \\ & {[0.52]} \end{aligned}$ |
|  |  |  |  |  |  |  | $\begin{aligned} & 0.0003 \\ & {[0.51]} \end{aligned}$ |  |  |
| FISD | $\left[\begin{array}{c} -0.126 \\ {[-0.86]} \end{array}\right.$ | $\begin{aligned} & -0.121 \\ & {[-0.83]} \end{aligned}$ | $\begin{gathered} -0.116 \\ {[-0.80]} \end{gathered}$ | $\begin{aligned} & -0.130 \\ & {[-0.89]} \end{aligned}$ | $\begin{gathered} -0.126 \\ {[-0.87]} \end{gathered}$ | $\begin{gathered} -0.119 \\ {[-0.82]} \end{gathered}$ | $\left[\begin{array}{l} -0.134 \\ {[-0.92]} \end{array}\right.$ | $\begin{aligned} & -0.131 \\ & {[-0.90]} \end{aligned}$ | $\begin{gathered} -0.127 \\ {[-0.87]} \end{gathered}$ |
|  |  |  |  |  |  |  |  |  |  |
| STLGRT | $\begin{aligned} & 0.040 \\ & {[1.77]} \end{aligned}$ | $\begin{aligned} & 0.039 \\ & {[1.73]} \end{aligned}$ | $\begin{aligned} & 0.038 \\ & {[1.68]} \end{aligned}$ | $\begin{aligned} & 0.041 \\ & {[1.82]} \end{aligned}$ | $\begin{aligned} & 0.040 \\ & {[1.78]} \end{aligned}$$\begin{aligned} & 0.065 \\ & \hline \end{aligned}$ | $\begin{aligned} & 0.039 \\ & {[1.71]} \end{aligned}$ | $\left[\begin{array}{l} 0.042 \\ {[1.85]} \\ 0.071 \end{array}\right.$ | $\begin{aligned} & 0.041 \\ & {[1.82]} \\ & 0.068 \\ & \hline \end{aligned}$ | $\begin{aligned} & 0.041 \\ & {[1.79]} \end{aligned}$ |
|  |  |  |  |  |  |  |  |  |  |

T-stats are reported in square brackets. Variable legend. GAP:(E/P)* - (E/P) or fundamental earning price ratio to observed earning price ratio (current Dow 30 constituents.
Regressors. $\triangle$ GAP: first difference of the GAP variable;FINE: number of estimates for the 1 -year ahead mean earning growth; FINE: number of estimates for the 1 -year ahead mean earning growth; F1SD: standard deviation of estimates for the 1 -year ahead mean earning growth; STLGRT: mean 1 -year ahead to mean long term forecasted
earning growth

Table 4. Relative performance of value and growth DCF strategies on Dow stocks


Table 5a. Significance of the difference in unc onditional
mean monthly returns of different portfolio strategies

| RISK PREMIUM 6PERCENT, NOMINAL GROWTH IN HE TERMINAL PERIOD 3PERCENT,VARIABLE BETA |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| INTERVAL BETWEEN TWO  <br> SUBSEQUENT PORTFOLIO <br> RECOMPOSITIONS IN <br> GROWTH AND VALUE <br> STRATEGIES  | PORTFOLIO STRATEGIES | T-STAT | Nonparametric test |  |
| Lagged 1 month | VALUE PORTFOLIOS | 4.319 | 4.556 | 0.00001 |
| 1 month |  | 3.649 | 3.816 | 0.0001 |
| 2 months | VERSUS | 4.037 | 4.193 | 0.00001 |
| 6 months |  | 1.839 | 2.326 | 0.0200 |
| 1 year | GROWTH PORFOLIOS | 1.234 | 1.561 | 0.1184 |
| Lagged 1 month | DJ65 VERSUS GROWTH | -3.774 | -4.013 | 0.0000 |
|  | DJ65 VERSUS VALUE | 0.889 | 1.087 | 0.2769 |
| 1 month | DJ65 VERSUS GROWTH | -3.529 | -3.758 | 0.0002 |
|  | DJ65 VERSUS VALUE | 0.447 | 0.463 | 0.6436 |
| 2 months | DJ65 VERSUS GROWTH | -3.518 | -3.782 | 0.0002 |
|  | DJ65 VERSUS VALUE | 0.848 | 0.845 | 0.3981 |
| 6 months | DJ65 VERSUS GROWTH | -2.324 | -2.738 | 0.0062 |
|  | DJ65 VERSUS VALUE | -0.412 | 0.157 | 0.8752 |
| 1 year | DJ65 VERSUS GROWTH | -2.002 | -2.325 | 0.0201 |
|  | DJ65 VERSUS VALUE | -0.720 | 0.671 | 0.5023 |
| Lagged 1 month | DJ30 VERSUS GROWTH | -2.386 | -2.571 | 0.0102 |
|  | DJ30 VERSUS Value | 2.081 | 2.451 | 0.0142 |
| 1 month | DJ30 VERSUS GROWTH | -2.145 | -2.293 | 0.0218 |
|  | DJ30 VERSUS VALUE | 1.644 | 1.861 | 0.0627 |
| 2 months | DJ30 VERSUS GROWTH | -2.141 | -2.342 | 0.0192 |
|  | DJ30 VERSUS VALUE | 2.040 | 2.200 | 0.0278 |
| 6 months | DJ30 VERSUS GROWTH | -1.025 | -1.311 | 0.1900 |
|  | DJ30 VERSUS VALUE | 0.870 | 1.200 | 0.2303 |
| 1 year | DJ30 VERSUS GROWTH | -0.733 | -0.934 | 0.3504 |
|  | DJ30 VERSUS VALUE | 0.553 | 0.702 | 0.4826 |

The non parametric test is based on the Mann-Withney U-statistics computed as follows: $U=N_{1} N_{2}+\frac{N_{1}\left(N_{1}+1\right)}{2}-R_{1}$ and $U=N_{1} N_{2}+\frac{N_{2}\left(N_{2}+1\right)}{2}-R_{2}$ where
$N_{1}$ is the number of observations in the first sample, $N_{2}$ is the number of observations in the second
sample, $\boldsymbol{R}_{1}$ is the sum of ranks in the first sample, $\boldsymbol{R}_{2}$ is the sum of ranks in the second sample. The test is based on the lowest of the $U$ values.

Table 5b Significance of the difference in unconditional mean monthly

| RISK PREMIUM 8 PERCENT, NOMINAL GROWTH IN HE TERMINAL PERIOD 3PERCENT, BETA=1 |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| INTERVAL BETWEEN TWO SUBSEQUENT PORTFOLIO RECOMPOSITIONS REO IN GROWTH AND STRATEGIES | PORTFOLIO STRATEGIES | T-STAT | Nonparametric test |  |
| Lagged I month | VALUE PORTFOLIOS | 4.630 | 4.778 | 0.00001 |
| 1 month |  | 3.692 | 3.664 | 0.0002 |
| 2 months | VERSUS | 4.083 | 4.068 | 0.0002 |
| 6 months |  | 1.469 | 1.795 | 0.0727 |
| 1 year | GROWTH PORFOLIOS | 0.638 | 0.837 | 0.4026 |
| Lagged 1 month | DJ65 VERSUS GROWTH | -4.364 | -4.557 | 0.00001 |
|  | DJ65 VERSUS VALUE | 0.922 | 1.009 | 0.3129 |
| 1 month | DJ65 VERSUS GROWTH | -3.661 | -3.723 | 0.0002 |
|  | DJ65 VERSUS VALUE | 0.546 | 0.412 | 0.6800 |
| 2 months | DJ65 VERSUS GROWTH | -3.798 | -3.895 | 0.0001 |
|  | DJ65 VERSUS VALUE | 0.823 | 0.794 | 0.4270 |
| 6 months | DJ65 VERSUS GROWTH | 2.570 | 2.570 | 0.0100 |
|  | DJ65 VERSUS VALUE | -0.591 | 0.490 | 0.6240 |
| 1 year | DJ65 VERSUS GROWTH | -1.842 | -2.048 | 0.0400 |
|  | DJ65 VERSUS VALUE | -1.073 | -1.055 | 0.2900 |
| Lagged 1 month | DJ30 VERSUS GROWTH | -2.912 | -2.968 | 0.0030 |
|  | DJ30 VERSUS VALUE | 2.029 | 2.225 | 0.0261 |
| 1 month | DJ30 VERSUS GROWTH | -2.245 | -2.219 | 0.0260 |
|  | DJ30 VERSUS VALUE | 1.677 | 1.736 | 0.0820 |
| 2 months | DJ30 VERSUS GROWTH | -2.375 | -2.411 | 0.0159 |
|  | DJ30 Versus value | 1.947 | 0.794 | 0.4270 |
| 6 months | DJ30 VERSUS GROWTH | -0.988 | -1.114 | 0.2650 |
|  | DJ30 VERSUS VALUE | 0.588 | 0.820 | 0.4120 |
| 1 year | DJ30 VERSUS GROWTH | -0.536 | -0.626 | 0.5310 |
|  | DJ30 VERSUS VALUE | 0.145 | 0.338 | 0.7357 |

For the definition of portfolio strategies see legend at Table 4
The non parametric test is based on the Mann-Withney U-statistics computed as follows: $U=N_{1} N_{2}+\frac{N_{1}\left(N_{1}+1\right)}{2}-R_{1}$ and $U=N_{1} N_{2}+\frac{N_{2}\left(N_{2}+1\right)}{2}-R_{2}$ where $N_{1}$ is the number of observations in the first sample, $N_{2}$ is the number of observations in the second sample, $\boldsymbol{R}_{1}$ is the sum of ranks in the first sample, $\boldsymbol{R}_{2}$ is the sum of ranks in the second sample. The test is based on the lowest of the $U$ values.

Table 6 Risk adjustment of returns from growth

|  | RISK PREMIUM 6PERCENT, NOMINAL GROWTH IN HE TERMINAL PERIOD 3PERCENT, VARIABLE BETA <br> RM: MEAN MONTHLY RETURNS ON DATASTREAM WORLD INDEX |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| STRATEG <br> Y <br> Holding PERIOD | 1 MONTH |  | 2 MONTHS |  | 6 MONTHS |  | 1 YEAR |  |
| STRATEG $\mathrm{Y}$ | GROWTH | VALUE | Growth | VALUE | GROWTH | VALUE | GROWTH | VALUE |
| C | 0.010 | -0.010 | 0.009 | -0.011 | 0.004 | -0.006 | 0.002 | -0.003 |
|  | [3.10] | [-2.29] | [2.71] | [-2.79] | [1.13] | [-1.65] | [0.49] | [-0.77] |
| $\mathrm{R}_{\mathrm{m}}-\mathrm{R}_{\mathrm{f}}$ | 0.861 | 0.765 | 0.848 | 0.783 | 0.815 | 0.834 | 0.771 | 0.826 |
|  | [7.90] | [5.41] | [7.20] | [5.95] | [7.18] | [8.84] | [5.94] | [6.14] |
| $\left(\mathrm{R}_{\mathrm{m}}-\mathrm{R}_{\mathrm{f}}\right)^{2}$ | -0.059 | -0.668 | -0.007 | -0.509 | -0.364 | 0.074 | -0.660 | -0.236 |
|  | [-0.06] | [-0.57] | [-0.01] | [-0.45] | [-0.41] | [0.10] | [-0.57] | [-0.24] |
| Rsquared | 0.553 | 0.527 | 0.526 | 0.544 | 0.521 | 0.552 | 0.505 | 0.565 |
|  | RISK PREMIUM 8 PERCENT, NOMINAL GROWTH IN HE TERMINAL PERIOD 3PERCENT, BETA=1 <br> RM: MEAN MONTHLY RETURNS ON DATASTREAM WORLD INDEX |  |  |  |  |  |  |  |
| STRATEG Y <br> Holding PERIOD | 1 MONTH |  | 2 MONTHS |  | 6 MONTHS |  | 1 YEAR |  |
| $\begin{aligned} & \text { STRATEG } \\ & \mathrm{Y} \\ & \hline \end{aligned}$ | Growth | VALUE | GROWTH | VALUE | GROWTH | VALUE | GROWTH | VALUE |
| C | 0.008 | -0.007 | 0.008 | -0.008 | 0.006 | -0.002 | 0.002 | 0.0001 |
|  | [1.78] | [-1.60] | [1.88] | [-1.86] | [1.38] | [-0.31] | [0.63] | [0.01] |
| $\mathrm{R}_{\mathrm{m}}-\mathrm{R}_{\mathrm{f}}$ | 0.854 | 0.784 | 0.860 | 0.776 | 0.960 | 0.818 | 0.903 | 0.791 |
|  | [6.06] | [5.39] | [5.89] | [5.59] | [7.07] | [5.61] | [6.66] | [5.20] |
| $\left(\mathrm{R}_{\mathrm{m}}-\mathrm{R}_{\mathrm{f}}\right)^{2}$ | 0.332 | -1.024 | 0.473 | -1.140 | 0.760 | -0.786 | 0.369 | -0.953 |
|  | [0.29] | [-0.91] | [0.39] | [-1.07] | [0.72] | [-0.69] | [0.33] | [-0.80] |
| Rsquared | 0.522 | 0.517 | 0.511 | 0.530 | 0.556 | 0.513 | 0.561 | 0.526 |

$$
R_{P K}-R_{f}=\alpha+\beta\left(R_{m}-R_{f}\right)+\gamma\left(R_{m}-R_{f}\right)^{2}+\varepsilon
$$

where $\mathrm{R}_{\mathrm{pk}}$ is the monthly return of portfolio $\mathrm{p}(\mathrm{p}=1, \ldots, 11)$ formed on factor $\mathrm{k}, \mathrm{R}_{\mathrm{f}}$ is the monthly return of the 3 month UK average deposit interest rate for the same period, $\mathrm{R}_{\mathrm{p}}$ is the monthly return of the sample market month UK average deposit interest rate for the same period, $\mathrm{R}_{\mathrm{m}}$ is the monthly return of the sample market portfolio Equations are estimated with a GMM (Generalised Method of Moments) approach with Heteroskedasticity and Autocorrelation Consistent Covariance Matrix. The Bartlett's functional form of the kernel is used to weight the covariances in calculating the weighting matrix. Newey and West's (1994) automatic bandwidth procedure is adopted to determine weights inside kernels for autocovariances. The same
regressors are used as instruments.

* The coefficient is significantly different from zero at $95 \%$. ** The coefficient is significantly different from zero at $99 \%$.
Dependent variable legend:
For portfolio strategies see legend at Table 4

Table 7. Relative performance of value and growth strategies on the historical Dow30 components

|  | GROWTH PORTFOL O | AVERAG PORTFOL o | VALUE PORTFO O | $\begin{aligned} & \hline \text { BUY } \\ & \text { HOLD } \\ & \text { DOW } \end{aligned}$ | $\begin{aligned} & \hline \text { BUY } \\ & \text { HOLD } \\ & \text { DOW } \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | RISK PREMIUM 8PERCENT, NOMINAL GROWTH IN HETERMINAL PERIOD 3PERCENT, UNIT BETA |  |  |  |  |
|  | MEAN MONTHLY RETURNS |  |  |  |  |
| 1 month | 2.25 | 1.32 | 0.12 |  |  |
| 1 month | 1.36 | 1.16 | 0.40 |  |  |
| interv. 2 months |  |  |  |  |  |
| 2 months | 2.13 | 1.25 | 0.36 | 1.600 | 1.040 |
| 6 months | 1.84 | 1.24 | 0.78 |  |  |
| 12 months | 1.85 | 1.13 | 0.92 |  |  |



\left.|  | GROWTH |  |  |  |  |  | AVERAGE VALUE | BUY AND BUY AND |
| :--- | :--- | :--- | :--- | :--- | :--- | :---: | :---: | :---: |
|  | PORTFOLI | PORTFOLI | PORTFOLI HOLD ON HOLD ON |  |  |  |  |  |
|  | O | O | O | DOW 30 | DOW 65 |  |  |  |
|  | RISK PREMIUM | 8PERCENT, NOMINAL GROWTH IN HE |  |  |  |  |  |  |
|  | TERMINAL PERIOD 3PERCENT, UNIT BETA |  |  |  |  |  |  |  |$\right]$

Table 8. Significance of the difference in unconditional mean monthly returns of different portfolio strategies on the historical Dow30 components

| INTERVAL BETWEEN TWO <br> SUBSEQUENT PORTFOLIO  <br> RECOMPOSITIONS IN ROWTH  <br> AND VALUE STRATEGIES   | PORTFOLIO STRATEGIES | T-STAT | Nonparam etric test |  |
| :---: | :---: | :---: | :---: | :---: |
|  | GROWTH PORFOLIOS | $\begin{aligned} & 2.116 \\ & 2.006 \end{aligned}$ | 2.146 | 0.0319 |
| 1 month |  |  | 2.261 | 0.02380.0400 |
| 2 months | VERSUS | 1.818 | 2.053 |  |
| 6 months |  | 1.119 | 0.647 | 0.5178 |
| 1 year | VALUE PORTFOLIOS | 0.940 | 0.279 | 0.7800 |
| 1 month (1month interv.) | DJ65 VERSUS GROWTH DJ65 VERSUS VALUE | $\begin{aligned} & -0.753 \\ & 1.456 \end{aligned}$ | 0.724-1.537 | 0.4694 |
|  |  |  |  | 0.12420.7724 |
| 1 month | DJ65 VERSUS GROWTH DJ65 VERSUS VALUE | -1.133 | 0.289 |  |
|  |  | 1.985 | -1.976 | 0.0482 |
| 2 months | DJ65 VERSUS VALUE DJ65 VERSUS GROWTH | $\begin{array}{\|l} -1.103 \\ 1.631 \end{array}$ | 0.401-1.694 | 0.68850.0902 |
|  | DJ65 VERSUS GROWTH <br> DJ65 VERSUS VALUE |  |  |  |
| 6 months | DJ65 VERSUS GROWTH DJ65 VERSUS VALUE | $\begin{aligned} & -0.801 \\ & 0.756 \end{aligned}$ | -0.342 | 0.7325 |
|  |  |  | -0.996 | 0.3190 |
| 1 year | DJ65 VERSUS GROWTH DJ65 VERSUS VALUE | $\begin{array}{\|l\|} \hline-0.789 \\ 0.382 \end{array}$ | -0.340 | 0.7335 |
|  |  |  | -0.630 | 0.5284 |
| 1 month (1month interv.) | DJ65 VERSUS VALUE <br> DJ30 VERSUS GROWTH | $\begin{aligned} & 0.382 \\ & -0.213 \end{aligned}$ | $\begin{aligned} & 1.054 \\ & -1.225 \end{aligned}$ | $\begin{aligned} & 0.2919 \\ & 0.2205 \end{aligned}$ |
|  | DJ30 VERSUS GROWTH <br> DJ30 versus value | 1.539 |  |  |
| 1 month | DJ30 VERSUS GROWTH <br> DJ30 VERSUS VALUE | $\begin{aligned} & -0.902 \\ & 1.977 \end{aligned}$ | $\begin{gathered} 0.635 \\ -1.689 \end{gathered}$ | $\begin{aligned} & 0.5252 \\ & 0.0913 \end{aligned}$ |
|  |  |  |  |  |
| 2 months | DJ30 VERSUS GROWTH <br> DJ30 VERSUS VALUE | $\begin{aligned} & -0.873 \\ & 1.685 \end{aligned}$ | $\begin{aligned} & 0.739 \\ & -1.402 \end{aligned}$ | $\begin{aligned} & 0.4598 \\ & 0.1608 \end{aligned}$ |
|  |  |  |  |  |
| 6 months | DJ30 VERSUS GROWTH <br> DJ30 VERSUS VALUE <br> DJ30 VERSUS GROWTH <br> DJ30 VERSUS VALUE | $\begin{array}{\|l} -0.588 \\ 0.958 \\ -0.575 \\ 0.652 \end{array}$ | $\begin{aligned} & -0.016 \\ & -0.731 \\ & -0.012 \\ & -0.342 \\ & \hline \end{aligned}$ | $\begin{aligned} & 0.9875 \\ & 0.4650 \\ & 0.9904 \\ & 0.7325 \\ & \hline \end{aligned}$ |
|  |  |  |  |  |
| 1 year |  |  |  |  |
|  |  |  |  |  |

Table 9. Risk adjustment of returns from growth and value DCF strategies with CAPM (GMM estimates) (historical Dow30)

| RM: MEAN MONTHLY RETURNS ON DATASTREAM WORLD INDEX |  |  |  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| STRATEGY <br> HOLDING PERIOD | 1 MONTH | 2 MONTHS |  | 6 MONTHS | 1 YEAR |  |  |  |
| STRATEGY | GROWTH | VALUE | GROWTH VALUE | GROWTH | VALUE | GROWTH | VALUE |  |
| C | -0.013 | -0.016 | -0.014 | -0.014 | -0.014 | -0.010 | -0.015 | -0.011 |
|  | $[-3.89]$ | $[-3.78]$ | $[-4.19]$ | $[-3.38]$ | $[-4.07]$ | $[-2.11]$ | $[-4.55]$ | $[-2.33]$ |
| $\mathrm{R}_{\mathrm{m}}-\mathrm{R}_{\mathrm{f}}$ | 0.687 | 0.696 | 0.692 | 0.696 | 0.728 | 0.735 | 0.712 | 0.666 |
|  | $[6.98]$ | $[4.34]$ | $[7.35]$ | $[4.37]$ | $[6.92]$ | $[4.40]$ | $[7.72]$ | $[3.94]$ |
| $\left(\mathrm{R}_{\mathrm{m}}-\mathrm{R}_{\mathrm{f}}\right)^{2}$ | -0.019 | -1.569 | 0.118 | -1.668 | 0.028 | -1.236 | -0.015 | -1.443 |
| Rsquared | $[-0.03]$ | $[-1.09]$ | $[0.20]$ | $[-1.17]$ | $[0.04]$ | $[-0.89]$ | $[-0.02]$ | $[-1.03]$ |
|  | 0.478 | 0.523 | 0.475 | 0.532 | 0.462 | 0.529 | 0.456 | 0.527 |

$R_{D C F}-R_{f}=\alpha+\beta\left(R_{m}-R_{f}\right)+\gamma\left(R_{m}-R_{f}\right)^{2}+\varepsilon$
where $R_{\text {DCF }}$ is the monthly return of the DCF portfolio, $\mathrm{R}_{\mathrm{f}}$ is the monthly return of the 3 month US T-bill for the same period, $R_{m}$ is the monthly return of the sample market portfolio Equations are estimated with a GMM (Generalised period, $\mathrm{R}_{\mathrm{m}}$ is the monthly return of the sample market portfolio Equations are estimated with a GMM (Generalised
Method of Moments) approach with Heteroskedasticity and Autocorrelation Consistent Covariance Matrix. The Method of Moments) approach with Heteroskedasticity and Autocorrelation Consistent Covariance Matrix. The
Bartlett's functional form of the kernel is used to weight the covariances in calculating the weighting matrix. Newey and Bartlett's functional form of the kernel is used to weight the covariances in calculating the weighting matrix. Newey and
West's (1994) automatic bandwidth procedure is adopted to determine weights inside kernels for autocovariances. The West's (1994) automatic bandwidth pro
same regressors are used as instruments.

For the definition of the different portfolio strategies see legend at Table 4

Table 10. The determinants of the aggregate DCF observed to fundamental price earning ratio (historical Dow30 constituents)

| BETA ESTIMATED ON PREVIOUS 3 YEAR MMR |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| DEPENDENT VARIABLE: AGGREGATE 1-MONTH CHANGE IN THE DCF OBSERVED TO FUNDAMENTAL EARNING TO PRICE RATIO (HISTORICAL DOW30 CONSTITUENTS) |  |  |  |  |  |  |  |  |  |
| RISK PREMIUM | 6 percent |  |  | 7 percent |  |  | 8 percent |  |  |
| NOMINAL RATE OF GROWTH IN THE TERMINAL VALUE | 2 percent | 3 percent | 4 percent | 2 percent | 3 percent | 4 percent | 2 percent | 3 percent | 4 percent |
| C | $\begin{gathered} -0.072 \\ {[-0.50]} \end{gathered}$ | $\begin{aligned} & -0.095 \\ & {[-0.62]} \end{aligned}$ | $\begin{aligned} & -0.122 \\ & {[-0.65]} \end{aligned}$ | $\begin{gathered} -0.071 \\ {[-0.50]} \end{gathered}$ | $\begin{gathered} -0.091 \\ {[2.25]} \end{gathered}$ | $\begin{aligned} & \hline-0.105 \\ & {[-0.59]} \end{aligned}$ | $\begin{aligned} & -0.069 \\ & {[-0.48]} \end{aligned}$ | $\begin{aligned} & -0.086 \\ & {[-0.58]} \end{aligned}$ | $\begin{aligned} & 0.608 \\ & {[2.25]} \end{aligned}$ |
| GAP(-1) | $\begin{gathered} -0.019 \\ {[-0.70]} \end{gathered}$ | $\begin{aligned} & 0.015 \\ & {[0.18]} \end{aligned}$ | $\begin{gathered} -0.033 \\ {[-0.50]} \end{gathered}$ | $\begin{gathered} 0.013 \\ {[0.26]} \end{gathered}$ | $\begin{gathered} -0.082 \\ {[-0.65]} \end{gathered}$ | $\begin{gathered} 0.006 \\ {[0.02]} \end{gathered}$ | $\begin{gathered} -0.792 \\ {[-2.17]} \end{gathered}$ | $\begin{aligned} & -0.025 \\ & {[-0.27]} \end{aligned}$ | $\begin{gathered} -0.082 \\ {[-0.81]} \end{gathered}$ |
| GAP(-2) | $\begin{aligned} & -0.048 \\ & {[-1.82]} \end{aligned}$ | $\begin{gathered} 0.019 \\ {[0.23]} \end{gathered}$ | $\begin{aligned} & 0.021 \\ & {[0.33]} \end{aligned}$ | $\begin{aligned} & -0.176 \\ & {[-3.57]} \end{aligned}$ | $\begin{aligned} & -0.042 \\ & {[-0.33]} \end{aligned}$ | $\begin{gathered} -0.042 \\ {[-0.19]} \end{gathered}$ | $\begin{gathered} -0.528 \\ {[-1.43]} \end{gathered}$ | $\begin{aligned} & 0.001 \\ & {[0.01]} \end{aligned}$ | $\begin{gathered} 0.063 \\ {[0.62]} \end{gathered}$ |
| $\Delta \mathrm{GAP}(-1)$ | -0.112 | -0.029 | -0.016 | 0.226 | -0.068 | -0.016 | 0.010 | -0.003 | -0.033 |
|  | [-1.68] | [-0.43] | [-0.24] | [3.52] | [-1.01] | [-0.24] | [0.15] | [-0.04] | [-0.49] |
| REV1F1(-1) | -0.0001 | -0.0007 | -0.0045 | 0.0001 | -0.0010 | -0.0050 | 0.0009 | 0.0008 | -0.0005 |
|  | [-0.07] | [-0.12] | [-0.26] | [0.07] | [-0.12] | [-0.21] | [0.06] | [0.07] | [-0.08] |
| F1NE |  | $\begin{aligned} & 0.006 \\ & {[0.62]} \end{aligned}$ | $\begin{gathered} 0.008 \\ {[0.35]} \end{gathered}$ | $\begin{aligned} & 0.007 \\ & {[2.28]} \end{aligned}$ |  | $\begin{gathered} 0.020 \\ {[0.57]} \end{gathered}$ |  |  | $\begin{gathered} 0.007 \\ {[0.62]} \end{gathered}$ |
| R-squared | 0.029 | 0.001 | 0.002 | 0.114 | 0.006 | 0.000 | 0.032 | 0.0003 | 0.006 |
| BETA=1 |  |  |  |  |  |  |  |  |  |
| DEPENDENT VARIABLE: AGGREGATE 1-MONTH CHANGE IN THE DCF OBSERVED TO FUNDAMENTAL EARNING TO PRICE RATIO(HISTORICAL DOW30 CONSTITUENTS) |  |  |  |  |  |  |  |  |  |
| RISK PREMIUM | 6 percent |  |  | 7 percent |  |  | 8 percent |  |  |
| NOMINAL RATE OF GROWTH IN THE TERMINAL value | 2 percent | 3 percent | 4 percent | 2 percent | 3 percent | 4 percent | 2 percent | 3 percent | 4 percent |
| C | $\begin{gathered} 0.029 \\ {[0.20]} \end{gathered}$ | $\begin{aligned} & \hline 0.021 \\ & {[0.14]} \end{aligned}$ | $\begin{gathered} 0.011 \\ {[0.07]} \end{gathered}$ | $\begin{gathered} 0.037 \\ {[0.25]} \end{gathered}$ | $\begin{gathered} 0.031 \\ {[0.20]} \end{gathered}$ | $\begin{gathered} 0.018 \\ {[0.12]} \end{gathered}$ | $\begin{gathered} 0.044 \\ {[0.30]} \end{gathered}$ | $\begin{gathered} 0.039 \\ {[0.26]} \end{gathered}$ | $\begin{gathered} 0.032 \\ {[0.21]} \end{gathered}$ |
| GAP(-1) | $\begin{aligned} & -0.205 \\ & {[-3.42]} \end{aligned}$ | $\begin{aligned} & -0.189 \\ & {[-3.40]} \end{aligned}$ | $\begin{gathered} -0.169 \\ {[-3.34]} \end{gathered}$ | $\begin{aligned} & -0.228 \\ & {[-3.41]} \end{aligned}$ | $\begin{aligned} & -0.214 \\ & {[-3.42]} \end{aligned}$ | $\begin{aligned} & -0.198 \\ & {[-3.40]} \end{aligned}$ | $\begin{aligned} & -0.249 \\ & {[-3.38]} \end{aligned}$ | $\begin{gathered} -0.237 \\ {[-3.40]} \end{gathered}$ | $\begin{gathered} -0.223 \\ {[-3.41]} \end{gathered}$ |
| GAP(-2) | $\begin{gathered} 0.075 \\ {[1.31]} \end{gathered}$ | $\begin{aligned} & 0.066 \\ & {[1.25]} \end{aligned}$ | $\begin{gathered} 0.057 \\ {[1.20]} \end{gathered}$ | $\begin{gathered} 0.088 \\ {[1.39]} \end{gathered}$ | $\begin{gathered} 0.079 \\ {[1.33]} \end{gathered}$ | $\begin{gathered} 0.069 \\ {[1.26]} \end{gathered}$ | $\begin{gathered} 0.102 \\ {[1.46]} \end{gathered}$ | $\begin{aligned} & 0.093 \\ & {[1.40]} \end{aligned}$ | $\begin{aligned} & 0.083 \\ & {[1.34]} \end{aligned}$ |
| $\Delta \mathrm{GAP}(-1)$ | $\begin{gathered} -0.444 \\ {[-6.79]} \end{gathered}$ | $\begin{gathered} -0.441 \\ {[-6.74]} \end{gathered}$ | $\begin{aligned} & -0.435 \\ & {[-6.64]} \end{aligned}$ | $\begin{gathered} -0.446 \\ {[-6.82]} \end{gathered}$ | $\begin{gathered} -0.445 \\ {[-6.79]} \end{gathered}$ | $\begin{gathered} -0.442 \\ {[-6.75]} \end{gathered}$ | $\begin{aligned} & -0.447 \\ & {[-6.83]} \end{aligned}$ | $\begin{gathered} -0.447 \\ {[-6.84]} \end{gathered}$ | $\begin{gathered} -0.445 \\ {[-6.80]} \end{gathered}$ |
| REV1F1(-1) | $\begin{aligned} & -0.0001 \\ & {[-0.43]} \end{aligned}$ | $\begin{aligned} & -0.0001 \\ & {[-0.43]} \end{aligned}$ | $\begin{aligned} & -0.0001 \\ & {[-0.43]} \end{aligned}$ | $\begin{aligned} & -0.0001 \\ & {[-0.43]} \end{aligned}$ | $\begin{aligned} & -0.0001 \\ & {[-0.43]} \end{aligned}$ | $\begin{aligned} & -0.0001 \\ & {[-0.43]} \end{aligned}$ | $\begin{aligned} & -0.0001 \\ & {[-0.43]} \end{aligned}$ | $\begin{aligned} & -0.0001 \\ & {[-0.43]} \end{aligned}$ | $\begin{aligned} & -0.0001 \\ & {[-0.43]} \end{aligned}$ |
| F1NE | $\begin{gathered} 0.006 \\ {[3.06]} \end{gathered}$ | $\begin{aligned} & 0.006 \\ & {[3.06]} \end{aligned}$ | $\begin{gathered} 0.006 \\ {[3.01]} \end{gathered}$ | $\begin{gathered} 0.006 \\ {[3.05]} \end{gathered}$ | $\begin{aligned} & 0.006 \\ & {[3.06]} \end{aligned}$ | $\begin{aligned} & 0.006 \\ & {[3.06]} \end{aligned}$ | $\begin{aligned} & 0.006 \\ & {[3.03]} \end{aligned}$ | $\begin{aligned} & 0.006 \\ & {[3.05]} \end{aligned}$ | $\begin{aligned} & 0.006 \\ & {[3.06]} \end{aligned}$ |
| R-squared | 0.180 | 0.177 | 0.173 | 0.181 | 0.180 | 0.178 | 0.181 | 0.182 | 0.180 |

T-stats are reported in square brack ratio to observed earning price ratio. Regressors. $\triangle \mathrm{GAP}$ : first difference of the GAP variable; $\mathrm{REV} 1 \mathrm{~F} 1=\mathrm{E}_{\mathrm{t}+1}[\mathrm{~F} 1]-\mathrm{E}_{[ }[\mathrm{F} 1]$ where F1 is the 1-year ahead mean estimate of earning growth, F1NE: number of estimates for the 1-year ahead mean earning growth

Table 11. The effect of the aggregate DCF observed to fundamental price earning ratio (historical Dow30 constituents) on Dow 30 returns

| BETA ESTIMATED ON PREVIOUS 3 YEAR MMR |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| DEPENDENT VARIABLE: 1-MONTH DOW30RETURN |  |  |  |  |  |  |  |  |  |
| RISK PREMIUM | 6 percent |  |  | 7 percent |  |  | 8 percent |  |  |
| NOMINAL RATE OF GROWTH IN THE TERMINAL VALUE | 2 percent | 3 percent | 4 percent | 2 percent | 3 percent | 4 percent | 2 percent | 3 percent | 4 percent |
| C | $\begin{aligned} & 0.017 \\ & {[0.42]} \end{aligned}$ | $\begin{aligned} & \hline 0.017 \\ & {[0.42]} \end{aligned}$ | $\begin{aligned} & 0.018 \\ & {[0.43]} \end{aligned}$ | $\begin{aligned} & \hline 0.017 \\ & {[0.41]} \end{aligned}$ | $\begin{aligned} & 0.017 \\ & {[0.41]} \end{aligned}$ | $\begin{aligned} & \hline 0.018 \\ & {[0.42]} \end{aligned}$ | $\begin{aligned} & 0.017 \\ & {[0.40]} \end{aligned}$ | $\begin{aligned} & 0.017 \\ & {[0.41]} \end{aligned}$ | $\begin{aligned} & \hline 0.021 \\ & {[0.50]} \end{aligned}$ |
| GAP(-1) | $\begin{aligned} & 0.002 \\ & {[0.77]} \end{aligned}$ | $\begin{aligned} & 0.001 \\ & {[0.81]} \end{aligned}$ | $\begin{aligned} & 0.0005 \\ & {[1.37]} \end{aligned}$ | $\left[\begin{array}{l} 0.003 \\ {[0.80]} \end{array}\right.$ | $\begin{aligned} & 0.002 \\ & {[1.10]} \end{aligned}$ | $\begin{aligned} & 0.0003 \\ & {[0.34]} \end{aligned}$ | $\left[\begin{array}{l} 0.001 \\ {[0.38]} \end{array}\right.$ | $\begin{aligned} & -0.0005 \\ & {[-0.63]} \end{aligned}$ | $\begin{aligned} & -0.002 \\ & {[-1.48]} \end{aligned}$ |
| GAP(-2) | $\begin{aligned} & 0.000 \\ & {[-0.17]} \end{aligned}$ | $\begin{aligned} & 0.001 \\ & {[0.49]} \end{aligned}$ | $\begin{aligned} & 0.0002 \\ & {[0.55]} \end{aligned}$ | $\left[\begin{array}{l} 0.001 \\ {[0.13]} \end{array}\right.$ | $\begin{aligned} & 0.001 \\ & {[0.62]} \end{aligned}$ | $\begin{aligned} & 0.00002 \\ & {[0.003]} \end{aligned}$ | $\left[\begin{array}{l} -0.0003 \\ {[-0.13]} \end{array}\right.$ | $\begin{aligned} & 0.0004 \\ & {[0.61]} \end{aligned}$ | $\begin{aligned} & 0.001 \\ & {[0.34]} \end{aligned}$ |
| $\Delta \mathrm{GAP}(-1)$ | $\left[\begin{array}{l} -0.008 \\ {[-1.29]} \end{array}\right.$ | $\begin{aligned} & 0.003 \\ & {[2.34]} \end{aligned}$ | $\begin{aligned} & -0.0001 \\ & {[-0.19]} \end{aligned}$ | $\left\lvert\, \begin{gathered} -0.008 \\ {[-1.46]} \end{gathered}\right.$ | $\begin{aligned} & -0.0002 \\ & {[-0.27]} \end{aligned}$ | $\begin{aligned} & 0.0001 \\ & {[0.38]} \end{aligned}$ | $\left[\begin{array}{l} 0.0001 \\ {[0.29]} \end{array}\right.$ | $\begin{aligned} & 0.001 \\ & {[1.50]} \end{aligned}$ | $\begin{aligned} & 0.002 \\ & {[1.94]} \end{aligned}$ |
| F1NE | $\left[\begin{array}{l} 0.0002 \\ {[0.82]} \end{array}\right.$ | $\begin{aligned} & 0.0001 \\ & {[0.86]} \end{aligned}$ | $\begin{aligned} & 0.0002 \\ & {[1.62]} \end{aligned}$ | $\begin{aligned} & 0.0001 \\ & {[0.21]} \end{aligned}$ | $\begin{aligned} & 0.0001 \\ & {[0.78]} \end{aligned}$ | $\begin{aligned} & 0.0003 \\ & {[1.72]} \end{aligned}$ | $\left[\begin{array}{l} 0.0002 \\ {[1.22]} \end{array}\right.$ | $\begin{aligned} & 0.0003 \\ & {[1.90]} \end{aligned}$ | $\begin{aligned} & 0.0004 \\ & {[1.96]} \end{aligned}$ |
| F1SD | $\begin{aligned} & 0.003 \\ & {[0.94]} \end{aligned}$ | $\begin{aligned} & 0.003 \\ & {[1.02]} \end{aligned}$ | $\begin{aligned} & 0.003 \\ & {[0.99]} \end{aligned}$ | $\left[\begin{array}{l} 0.003 \\ {[0.93]} \end{array}\right.$ | $\begin{aligned} & 0.003 \\ & {[0.92]} \end{aligned}$ | $\begin{aligned} & 0.003 \\ & {[0.98]} \end{aligned}$ | $\left[\begin{array}{l} 0.003 \\ {[0.97]} \end{array}\right.$ | $\begin{aligned} & 0.003 \\ & {[1.00]} \end{aligned}$ | $\begin{aligned} & 0.003 \\ & {[1.06]} \end{aligned}$ |
| STLGRT | $\left[\begin{array}{l} 0.0002 \\ {[1.03]} \end{array}\right.$ | $\begin{aligned} & 0.0002 \\ & {[1.01]} \end{aligned}$ | $\begin{aligned} & 0.0002 \\ & {[1.14]} \end{aligned}$ | $\left[\begin{array}{l} 0.0002 \\ {[1.01]} \end{array}\right.$ | $\begin{aligned} & 0.0002 \\ & {[0.96]} \end{aligned}$ | $\begin{aligned} & 0.0002 \\ & {[1.00]} \end{aligned}$ | $\left[\begin{array}{l} 0.0002 \\ {[0.96]} \end{array}\right.$ | $\begin{aligned} & 0.0002 \\ & {[1.00]} \end{aligned}$ | $\begin{aligned} & 0.0002 \\ & {[1.02]} \end{aligned}$ |
| R-squared | 0.017 | 0.034 | 0.018 | 0.019 | 0.015 | 0.008 | 0.008 | 0.020 | 0.034 |


| BETA ESTIMATED ON PREVIOUS 3 YEAR MMR |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| DEPENDENT VARIABLE: 1-MONTH DOW30 RETURN |  |  |  |  |  |  |  |  |  |
| RISK PREMIUM | 6 percent |  |  | 7 percent |  |  | 8 percent |  |  |
| NOMINAL RATE OF GROWTH IN THE TERMINAL VALUE | 2 percent | 3 percent | 4 percent | 2 percent | 3 percent | 4 percent | 2 percent | 3 percent | 4 percent |
|  | $\begin{aligned} & 0.017 \\ & {[0.42]} \end{aligned}$ | $\begin{aligned} & \hline 0.017 \\ & {[0.43]} \end{aligned}$ | $\begin{aligned} & \hline 0.018 \\ & {[0.43]} \end{aligned}$ | $\begin{aligned} & \hline 0.017 \\ & {[0.42]} \end{aligned}$ | $\begin{aligned} & 0.017 \\ & {[0.42]} \end{aligned}$ | $\begin{aligned} & \hline 0.017 \\ & {[0.43]} \end{aligned}$ | $\begin{aligned} & 0.016 \\ & {[0.42]} \end{aligned}$ | $\begin{aligned} & \hline 0.017 \\ & {[0.42]} \end{aligned}$ | $\begin{aligned} & \hline 0.017 \\ & {[0.42]} \end{aligned}$ |
| GAP(-1) | $\left[\begin{array}{l} -0.030 \\ {[-1.77]} \end{array}\right.$ | $\begin{aligned} & -0.027 \\ & {[-1.74]} \end{aligned}$ | $\begin{aligned} & -0.023 \\ & {[-1.72]} \end{aligned}$ | $\begin{aligned} & -0.035 \\ & {[-1.83]} \end{aligned}$ | $\begin{aligned} & -0.031 \\ & {[-1.79]} \end{aligned}$ | $\begin{aligned} & -0.028 \\ & {[-1.75]} \end{aligned}$ | $\left[\begin{array}{l} -0.040 \\ {[-1.90]} \end{array}\right.$ | $\begin{aligned} & -0.037 \\ & {[-1.87]} \end{aligned}$ | $\begin{aligned} & -0.033 \\ & {[-1.80]} \end{aligned}$ |
| GAP(-2) | $\left[\begin{array}{l} 0.041 \\ {[2.59]} \end{array}\right.$ | $\begin{aligned} & 0.036 \\ & {[2.50]} \end{aligned}$ | $\begin{aligned} & 0.031 \\ & {[2.37]} \end{aligned}$ | $\begin{aligned} & 0.048 \\ & {[2.68]} \end{aligned}$ | $\begin{aligned} & 0.044 \\ & {[2.61]} \end{aligned}$ | $\begin{aligned} & 0.038 \\ & {[2.51]} \end{aligned}$ | $\begin{aligned} & 0.055 \\ & {[2.75]} \end{aligned}$ | $\begin{aligned} & 0.051 \\ & {[2.70]} \end{aligned}$ | $\begin{aligned} & 0.046 \\ & {[2.62]} \end{aligned}$ |
| $\Delta \mathrm{GAP}(-1)$ | $\left[\begin{array}{l} -0.042 \\ {[-2.34]} \end{array}\right.$ | $\begin{aligned} & -0.042 \\ & {[-2.33]} \end{aligned}$ | $\begin{aligned} & -0.041 \\ & {[-2.34]} \end{aligned}$ | $\left\lvert\, \begin{gathered} -0.043 \\ {[-2.36]} \end{gathered}\right.$ | $\begin{aligned} & -0.042 \\ & {[-2.35]} \end{aligned}$ | $\begin{aligned} & -0.042 \\ & {[-2.34]} \end{aligned}$ | $\left[\begin{array}{l} -0.043 \\ {[-2.39]} \end{array}\right.$ | $\begin{aligned} & -0.042 \\ & {[-2.34]} \end{aligned}$ | $\begin{aligned} & -0.043 \\ & {[-2.35]} \end{aligned}$ |
| F1NE | $\begin{aligned} & -0.0002 \\ & {[-0.28]} \end{aligned}$ | $\begin{aligned} & -0.0001 \\ & {[-0.21]} \end{aligned}$ | $\begin{aligned} & -0.0001 \\ & {[-0.10]} \end{aligned}$ | $\begin{aligned} & -0.0002 \\ & {[-0.31]} \end{aligned}$ | $\begin{aligned} & -0.0002 \\ & {[-0.28]} \end{aligned}$ | $\begin{aligned} & -0.0001 \\ & {[-0.22]} \end{aligned}$ | $\left\lvert\, \begin{aligned} & -0.0002 \\ & {[-0.32]} \end{aligned}\right.$ | $\begin{aligned} & -0.0002 \\ & {[-0.30]} \end{aligned}$ | $\begin{aligned} & -0.0002 \\ & {[-0.28]} \end{aligned}$ |
| F1SD | $\begin{aligned} & 0.001 \\ & {[0.17]} \end{aligned}$ | $\begin{aligned} & 0.001 \\ & {[0.28]} \end{aligned}$ | $\begin{aligned} & 0.002 \\ & {[0.43]} \end{aligned}$ | $\left\lvert\, \begin{aligned} & 0.0004 \\ & {[0.10]} \end{aligned}\right.$ | $\begin{aligned} & 0.001 \\ & {[0.17]} \end{aligned}$ | $\begin{aligned} & 0.001 \\ & {[0.27]} \end{aligned}$ | $\left[\begin{array}{l} 0.0002 \\ {[0.05]} \end{array}\right.$ | $\begin{aligned} & 0.0005 \\ & {[0.10]} \end{aligned}$ | $\begin{aligned} & 0.001 \\ & {[0.16]} \end{aligned}$ |
| STLGRT | $\left[\begin{array}{l} 0.0003 \\ {[1.68]} \end{array}\right.$ | $\begin{aligned} & 0.0003 \\ & {[1.66]} \end{aligned}$ | $\begin{aligned} & 0.0003 \\ & {[1.63]} \end{aligned}$ | $\begin{aligned} & 0.0003 \\ & {[1.71]} \end{aligned}$ | $\begin{aligned} & 0.0003 \\ & {[1.69]} \end{aligned}$ | $\begin{aligned} & 0.0003 \\ & {[1.66]} \end{aligned}$ | $\left[\begin{array}{l} 0.0003 \\ {[1.74]} \end{array}\right.$ | $\begin{aligned} & 0.0003 \\ & {[1.71]} \end{aligned}$ | $\begin{aligned} & 0.0003 \\ & {[1.69]} \end{aligned}$ |
| R-squared | 0.053 | 0.051 | 0.049 | 0.055 | 0.054 | 0.052 | 0.057 | 0.055 | 0.054 |
| T-stats are reported in square brackets. Variable legend. GAP $=(\mathrm{E} / \mathrm{P})^{*}-(\mathrm{E} / \mathrm{P})$ or fundamental earning price ratio to observed earning price ratio. (current Dow30 constituents); Regressors. $\triangle$ GAP: first difference of the GAP variable REV1F1 $=\mathrm{E}_{\mathrm{t}+1}[\mathrm{~F} 1]-$ $\mathrm{E}_{[ }[\mathrm{F} 1]$ where F 1 is the 1 -year ahead mean estimate of earning growth; REV2F1: $\mathrm{E}_{\mathrm{t}+2}[\mathrm{~F} 1]-\mathrm{E}_{\mathrm{t}+1}[\mathrm{~F} 1]$; F 1 NE : number of estimates for the 1 -year ahead mean earning growth; F1NE: number of estimates for the 1 -year ahead mean earning growth; F1SD: standard deviation of estimates for the 1-year ahead mean earning growth; STLGRT: mean 1-year ahead to mean long te rm forecasted earning growth. |  |  |  |  |  |  |  |  |  |

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Appendix (not to be published and available upon request)
Table A. 1 Relative performance of non overlapping value and growth DCF strategies on Dow stocks in sample subperiods (1982-1991; 1992-2000) RISK PREMIUM 6PERCENT, NOMINAL GROWTH IN THE TERMINAL PERIOD 3PERCENT, VARIABLE BETA


Legend: ml mean monthly return from the corresponding portfolio strategy for the period 1982-1991; mI mean monthly return from the corresponding portfolio strategy for the period 1992-2000; var1 variance of monthly returns from the corresponding portfolio strategy for the period 1982-1991; varII variance of monthly returns from the corresponding portfolio strategy for the period 1992-2000,
For portfolio strategies see legend at Table 4

Table A. 2 Relative performance of non overlapping value and growth DCF strategies on
Dow stocks in sample subperiods (1982-1991; 1992-2000)


Legend: m1 mean monthly return from the corresponding portfolio str ategy for the period 1982-1991; mII monthly returns from the corresponding portfolio strategy for the period 1982-1991; varII variance of monthly returns from the corresponding portfolio strategy for the period 1992-2000;
For portfolio strategies see legend at Table 4

Table A. 3 Significance of the difference in unconditional mean monthly returns of different
portfolio strategies in sample subperiods


For portfolio strategies see legend at Table 4

Table A. 4 Significance of the difference in unconditional mean monthly returns of different


For portfolio strategies see legend at Table 4

Table A. 5 Relative performance of non overlapping value and growth sophisticated DCF strategies
on hystorical Dow30 components in sample subperiods (1982-1991; 1992-2000)


Legend: ml mean monthly return from the corresponding portfolio strategy for the period 1982-1991; mII
mean monthly return from the corresponding portfolio strategy for the period 1992-2000; varl variance of monthly returns from the corresponding portfolio strategy for the period 1982-1991; varII variance of monthly returns from the corresponding portfolio strategy for the period 1992-2000;

Table A. 6 Significance of the difference in unconditional mean monthly returns of different portfolio strategies on hystorical Dow30 components in sample subperiods


Fig. A1. The allocation of individual Dow30 components in growth, value and intermediate portfolios during the sample period (lower band: value portfolio; intermediate band: intermediate portfolio; upper band: growth portfolio)



[^0]:    ${ }^{1}$ Our results are broadly consistent with empirical evidence of short and medium term return continuation (Jeegadeesh-Titman, 1993;
    Rouwenhorst, 1998).

[^1]:    ${ }^{2}$ The traditional DCF approach discounts dividends and not earnings. Many companies have recently started to postpone dividend payments at later stages of their life cycle (Campbell, 2000). In parallel, several authors use earnings rather than dividends to predict stock returns (Olhson, 1995; Fama-French, 1998; Lamont, 1998).
    ${ }^{3}$ We are assuming in accordance with the literature, that, under perfect information and no transaction costs, the dividend policy does not affect the value of stocks (Miller-Modigliani, 1961).

[^2]:    ${ }^{4}$ We use 1-year and 2-year ahead average earnings forecasts for the first two years and the long term average earning forecasts from the third to the sixth year.
    ${ }^{5}$ We choose a short term risk free rate to match its time length with the average time length of portfolio strategies which will be illustrated in sections 4 and 5 . Results obtained when adopting a long term risk free rate (yield on the ten year Treasury Bill) are not substantially different from those presented in the paper and are omitted for reasons of space.

[^3]:    ${ }^{6}$ To calculate the current implied premium we use the Gordon-Shapiro (1956) formula in which value is equal to: expected dividends next year/(required return on stocks - expected growth rate).
    ${ }_{8}^{7}$ Results are available from the authors upon request.
    ${ }^{8}$ There is a vast literature on sophisticated methods for estimating time varying beta. See for example Harvey-Siddique (2000) and Jagannathan-Wang (1996)
    ${ }^{9}$ The choice is reasonable given the size and representativeness of the Dow components and given several potential biases arising in beta estimates (noise, dependence from time varying leverage and business cycle conditions). The choice is nonetheless confronted with that of an estimated beta in our simulation (see sections 3-5).

[^4]:    ${ }^{10}$ If eighteen years is a sufficient length for the Dow to be centered around its fundamental value, then the DCF formula yielding an average value price ratio closest to one should be considered as the most accurate estimation of the fundamental.
    ${ }^{11}$ The division of the sample in two equal subperiods leaves our results virtually unchanged.
    ${ }^{12}$ We consider this variable as a risk factor which could be added when discounting the fundamental value. Farrelly-Reichenstein (1984) evaluate by questionnaire risk ratings of 209 portfolio managers and find that dispersion of analysts' earning forecasts is to them a better risk proxy than beta. ParkashSalakta (1999) find a positive relationship between analysts' forecast dispersion and business and financial risk.
    ${ }^{13}$ We expect this variable to reduce asymmetric information and to increase the reliability and precision of forecasts. The number of recommending brokers is regarded in the literature as nonlinearly and positively related to the speed of adjustment of prices to new information (Brennan-Jegadeesh-Swaminathan, 1993) and as positively related to the accuracy of earnings predictions (FirthGift,1999).

[^5]:    ${ }^{14}$ More formally REV1F1 $=\mathrm{E}_{t+1}[\mathrm{~F} 1]-\mathrm{E}_{\mathrm{t}}[\mathrm{F} 1]$ and $\mathrm{REV} 2 \mathrm{~F} 1=\mathrm{E}_{1+2}[\mathrm{~F} 1]-\mathrm{E}_{\mathrm{t}+1}[\mathrm{~F} 1]$ where F 1 is the 1-year ahead mean estimate of earning growth and t is the month in which the forecast is formed.

[^6]:    ${ }^{15}$ These results are omitted for reasons of space and are available from the authors upon request.

